Remote sensing of the oceans Active sensing

- Gravity
- Sea level
 - Ocean tides
 - Low frequency motion
- Scatterometry
- SAR

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http://daac.gsfc.nasa.gov/CAMPAIGN_DOCS/OCDST/what_is_ocean_color.html

Shape of the earth



Fig. 9.17 Equipotential surface models for earth.

Geiod

geoid: The equipotential surface of the Earth's gravity field which best fits, in a least squares sense, global mean sea level



Geoid vs gravity

Anomalies from a reference ellipsoid





Mean dynamic topography



Time-dependent Gravity

GRACE (2002-pres) (Gravity Recovery and Climate Experiment)

500km orbit.



Distance accurate to 10µm

Estimation of basin-scale Δ **TWS**, validation and uncertainty



Geoid trend





Radar altimeters



Radar altimeters derive a precise measurement of the round-trip time between the satellite and and infer the satellite-to-ocean range.

Summary of altimeter missions

1990 1991 1992 1993 1994 1995 19	06 1997 1998 1990 2000 2001 2002 2003 2004 2005
ESA's ERS-1	
US (EDENCH TODE	Y (DOSTIDON
0.3./ FRENCH TOPE	A/POSEILON
ESA's E	RS-2
	USN's GEOSAT FOLLOW-ON
	ESA's ENVISAT
	FRENCH/ U.S. JASON
	U.S. GRACE
	GRAVITY
W. Dateart/IDI	FRENCH/U.S. JASON-2
W. FUIZEIL/JFL	

Atmospheric absorption





Altimeter physics: pulse-limited

For Geosat: pulse width: $t_p=3$ ns corresponding to a bandwidth of 0.3 GHz and ~1700 pulses/sec. H = 800km

Range = ct/2 where t=5ms $L_p = ct_p = 3x10^8 x 3ns = 1m$ Since $((A/2)^2+H^2)=(L_p+H)^2$ $A = (HL_p/2)^{1/2} = 2.4$ km footprint!





Modeling the impact of surface waves



Probability distribution:
$$G(h) \approx e^{-(\frac{h^2}{2\Delta h^2})}; \quad h_{1/3} = 4\Delta h$$

if
$$G(t_w) \approx 1/2$$
 then
$$t_w = \frac{4\Delta h}{c} (\ln 2)^{1/2} = \frac{h_{1/3}}{c} (\ln 2)^{1/2}$$

If $h_{1/3} = 2m$ then $t_w = 3ns$ and the footprint expands to 3.5km AOSC424 - Carton

Additional issues

- Need to average To get 2cm accuracy when a single pulse only resolves ~ 1m we need to average 10⁴ pulses (assumes random heights!). At 1700 pulses/sec this means we need to average ~ 5 sec. Because of the rate of travel of the satellite this means we cannot resolve features at finer than 25km resolution along-track!
- Need to adjust gate timing The pulses are tracked by electronic gates. Over land and ice the timing varies so much that Geosat and Topex altimeters lose lock on the pulses and must re-acquire ERS-1/2 altimeters are better able to track over land.

Effect of averaging radar pulses



t

Stammer, "Observing the ocean using satellite altimeter data" unpublished



Modeling radar returns

Empirical 3-parameter Brown model of pulse shape



Differences between ascending and descending tracks



Measurement/geophysical errors

- Sea State Bias: troughs of the waves preferentially reflect back toward radar. Lowers estimated sea level by ~0.05H_{1/3} leading to a 0.05 - 0.10 m bias
- Ionospheric Delay electron plasma in the ionosphere slows radar pulses. Smallest at 6 AM largest at 12 noon. Dual frequency radars correct for this at > 50 km scales.
- Dry Atmosphere dry atmosphere slows radar pulses (function of index of refraction. Typically ~2.3 m
- Wet troposphere humidity further delays radar pulses. Typically ~0.06
 0.30 m
- Orbit Error lack of knowledge of the orbital position used to cause ~1m errors. Corrected for by use of repeat tracks and wavenumber filtering. With GPS tracking this error is now ~0.02m.

Geophysical corrections

Wet tropospheric water vapor correction

Dry atmosphere correction

lonospheric correction



mm

http://iliad.gsfc.nasa.gov/opf/algorithms/wet_geosat.html



10-dy T/P orbit tracks



Tidal aliasing



PERIOD OF M2 FIDE: 517 cg/dag ACTUAL SEA LEVEL HEIGHT $2(+) = \frac{2}{3} \cos(\frac{2\pi}{517} +)$ SAMPLED SEA LEVEL HEIGHT $\gamma(t\Delta) = \gamma_0 \cos(\frac{2it}{5i7}; \Delta) \qquad \Delta = 9.92$ = 20 cos (217 i 19.19) = 2005 (218-187 i+ 218 19 i) = $\gamma \cos\left(\frac{2\pi}{5.33}\right)$ ALIASING PERIOD: 5.33 +9.92 = 53 DAYS



Icesat (2003-2010) (laser beam-limited altimeter)

Altitude: 705km Orbit: near-polar Footprint: 70 m Separation between footprints: 170m



Scatterometry, Satellite ocean winds



Scatterometer measures the normalized radar cross-section of the ocean surface (by comparing the power of transmitted and returned signals) from which the near-surface wind is estimated. Radar crosssection is a function of the ocean surface roughness which is created primarily by wind-generated waves. Thus wind speed and direction can be inferred.

Scatterometry: exploiting σ_o





Bragg scattering: A plan-parallel radar beam with wavelength λ hits the rough ocean surface at incidence angle θ , where capillary gravity waves with Bragg wavelength $\lambda_{\rm B}$ will cause microwave resonance.



Microwave scatterometer is based on the principle of the resonant Bragg scattering.

For a smooth surface, oblique viewing of the surface with active radar yields virtually no return. If the surface is rough, significant backscatter occurs.



Geophysical model functions



where $\tau = \rho U^{*2}$

Dependence of σ_o on viewing angle and polarization



ERS1/2 and QuikSCAT designs



C-band (5GHz) ERS1/2

Scatterometer wind direction retrieval



Discrete angular beams



Conical angular scanning. SeaWinds viewing geometry. Image courtesy of <u>Spencer, Wu, and Long</u> (2000).

Differences between ERS1/2 and QSCAT



Random error Speed ±2m/s Direction: ±20° Altitude: 803 km

km





Katrina (Category 4)

QuikSCAT winds 8-29 at landfall.



4-year mean Divergence and curl



Chelton et al, Science, 2004: http://www.sciencemag.org/cgi/content/full/303/5660/978/FIG1

Detail in the South Atlantic



Winds around A6604124Geongnia showing island effects

Synthetic Aperture RADAR

exploits the different doppler freq associated with different angles

• For 5.3 GHz (C-Band) use of SAR reduces effective resolution from 30 km to 9m.



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http://www.atlsci.com/library/sar_theory.ht ml



Ice flow detection with SAR

- Ice floes appear darker due to the presence of a layer of melt water overlying the ice surface
- The presence of this water layer decreases backscatter toward the radar system, resulting in a darker appearance



Internal tide fronts



References

- Lee-Lueng Fu (Editor), Anny Cazenave, <u>Satellite Altimetry and</u> <u>Earth Sciences: A Handbook of Techniques and Applications</u>, 2000
- NASA tutorial: http://rst.gsfc.nasa.gov/Front/tofc.html
- UIUC tutorial: <u>http://ww2010.atmos.uiuc.edu/(Gh)/guides/rs/home.rxml</u>
- Lillesand, T.M., and R.W. Kiefer, *Remote Sensing and Image Interpretation*, 724 pp., John Wiley and Sons, Inc., New York, 2000.